



# Proactive Wireless Caching for Small Cells in 5G

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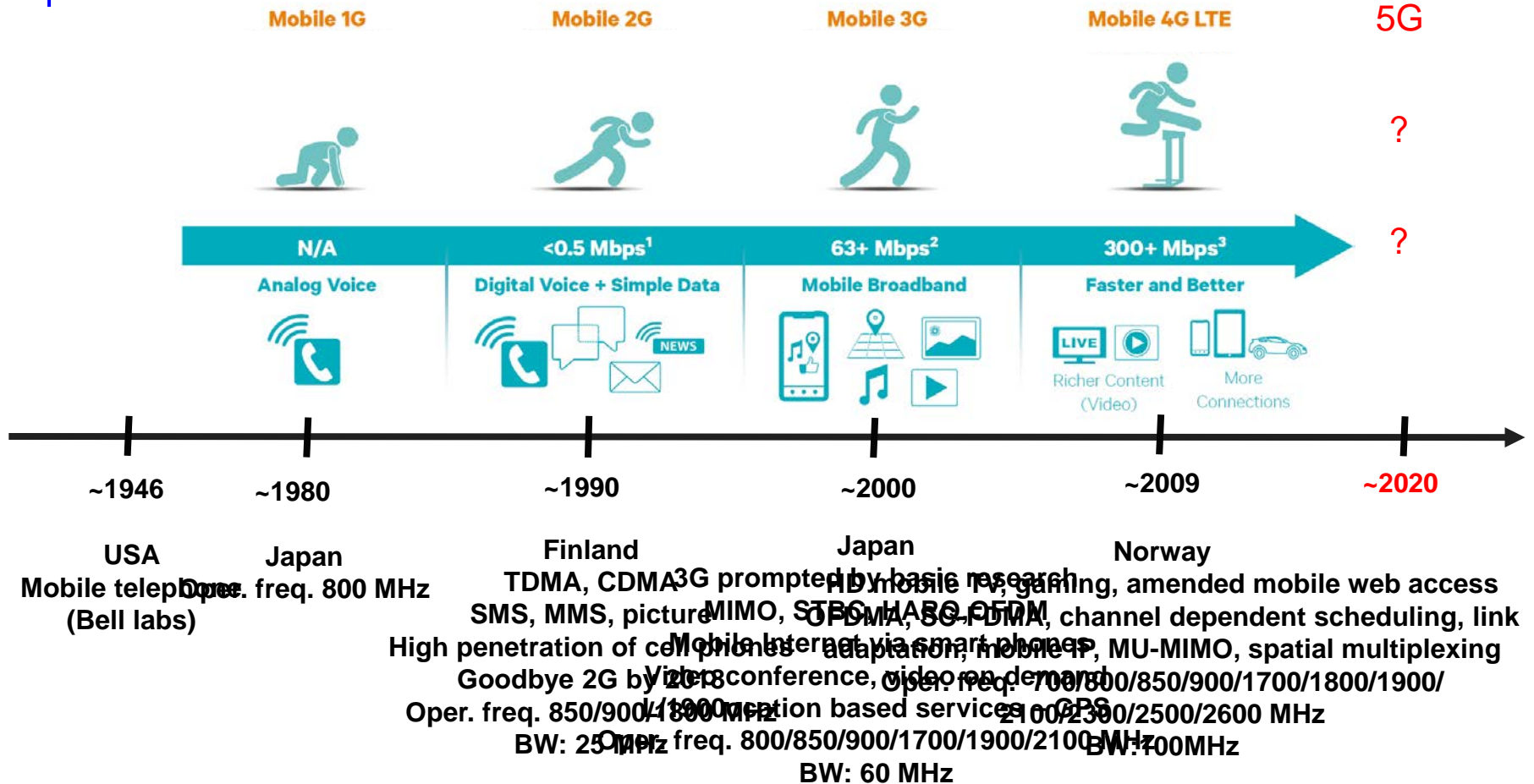
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# Evolution of cellular networks



□ New generation every 10 years: Higher rates, but not backward compatible

# Technology directions for 5G



1. Device-centric designs (edge)

2. Millimeter wave (mmWave)

3. Massive MIMO

4. Smart network, e.g., adaptive caching in small cells (fog)

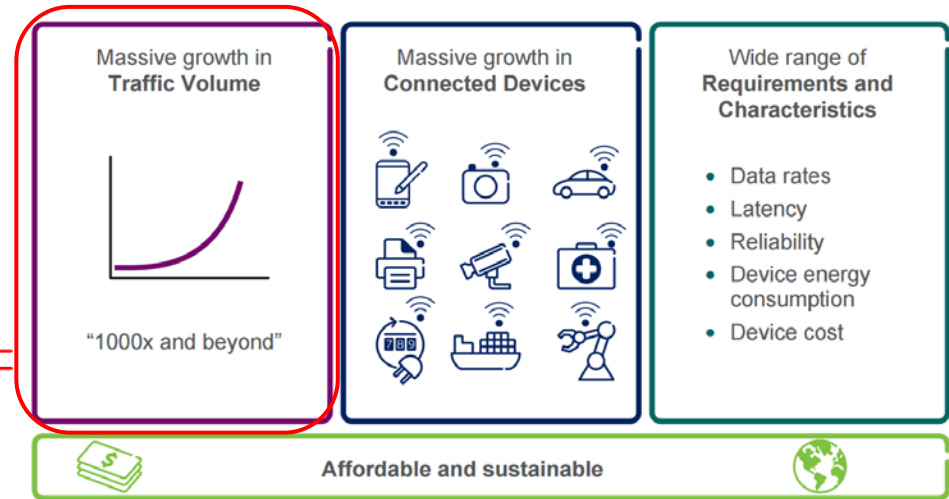
5. Seamless machine-to-machine (M2M), and IoT communications

Subject of today's talk

# Challenges for 5G

## ❑ Evolving user content profiles

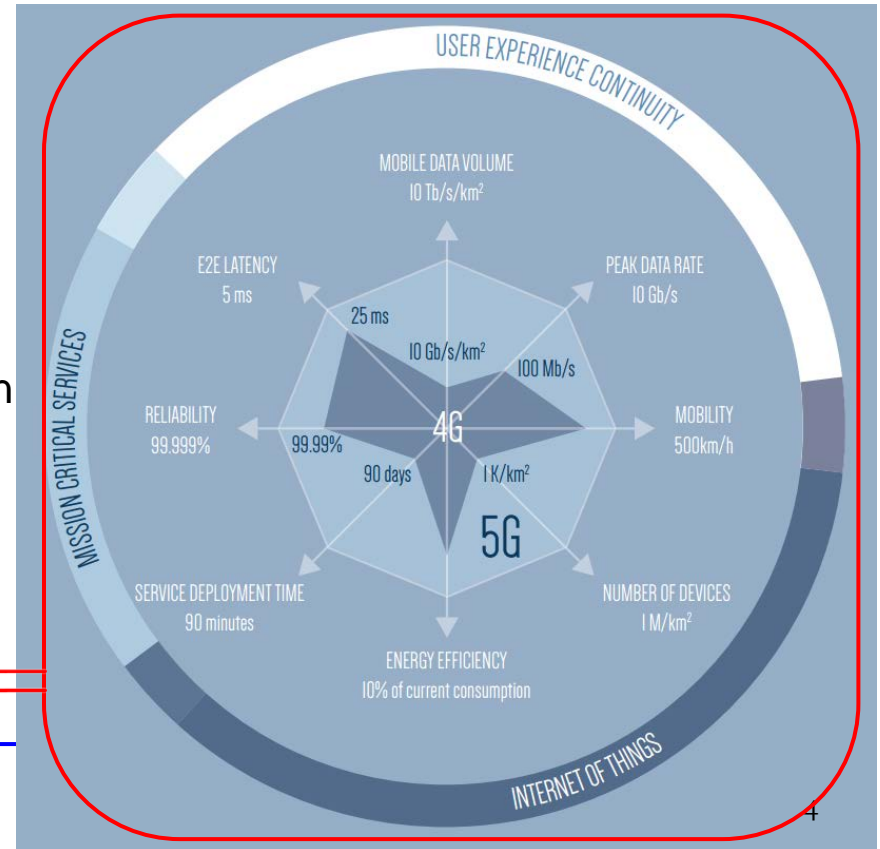
- Mobile video streaming
  - ✓ 50% of traffic volume in 4G
  - ✓ 500-fold increase in 5G
- Social networking
  - ✓ 15% of traffic volume in 4G
- Music, games ...



## 5G desiderata over 4G

- Higher volume, lower energy consumption
- Massive number of devices (M2M, IoT)
- Service deployment time

Heterogeneous (small cell) networks (fog)



# Heterogeneous small-cell networks

## ❑ Traditional cells

- Medium to long-range (1-10 km)
- High-gain antenna
- Crucial for coverage and mobility support
- Expensive (over \$100K+OpEx)
- 40W Tx power
- Fast dedicated backhaul



## ❑ Pico-cells

- Short-range (~100m)
- Small, easy deployment
- Targeting “hotspots” or dense areas
- Low-cost (\$5-40K + small OpEx)
- 1-2W Tx power
- Cheap backhaul



## ❑ Femto-cells

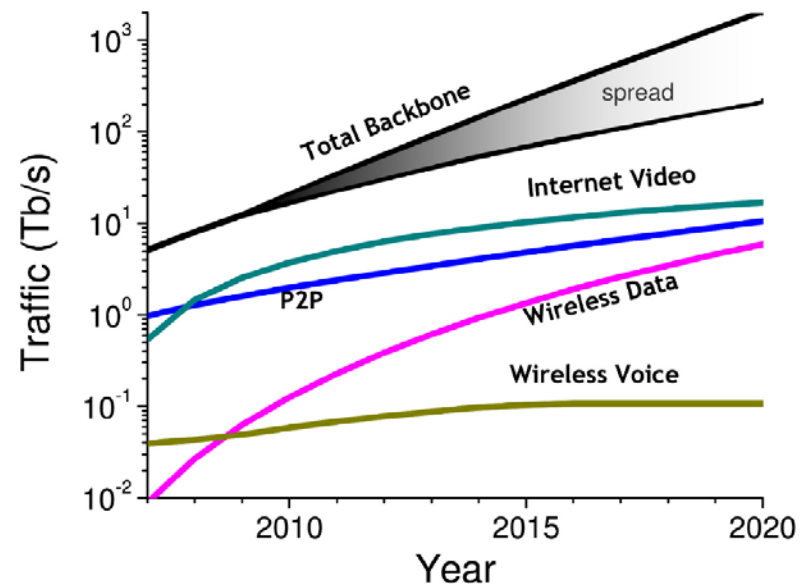
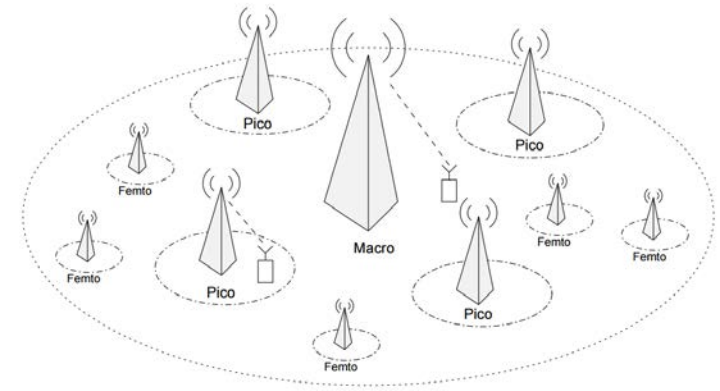
- WiFi range (~10m)
- Inter-cell coordination minimum overhead
- Licensed spectrum
- 100\$+small OpEX
- 100-200mW Tx power
- Backhaul (IP, e.g. DSL, coax)



Heterogeneous networks (HetNets) entail all three types

# Pros and cons of HetNets

- + Spatial reuse boosts rate (1000x)
- + Densification enhances coverage
- + Reduced cost and energy efficient
- Backhauling
  - Fiber to pico-cells not viable
  - Cheap backhauling lowers traffic
- Increased interference
- Increased overhead (small cell coordination)



**Reusable content** overloads backhaul (now 60% of mobile data traffic, 500X in 10yrs)

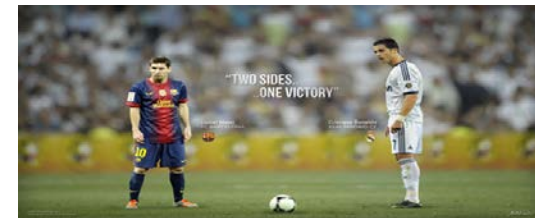
# Proactive caching for small cells

## ❑ Small cells with storage and caching

- Store (coded) popular reusable content; also dynamically via mobile devices
- Reduce peak-to-average load ratio; and shift backhaul load via caching

## ❑ Pre-allocation of resources

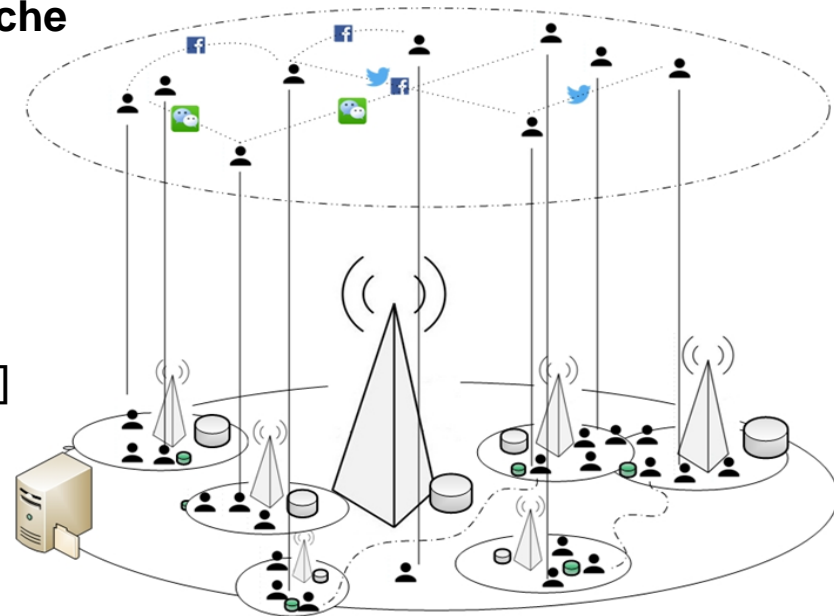
- Serve predictable peak-hour demand during off-peak times



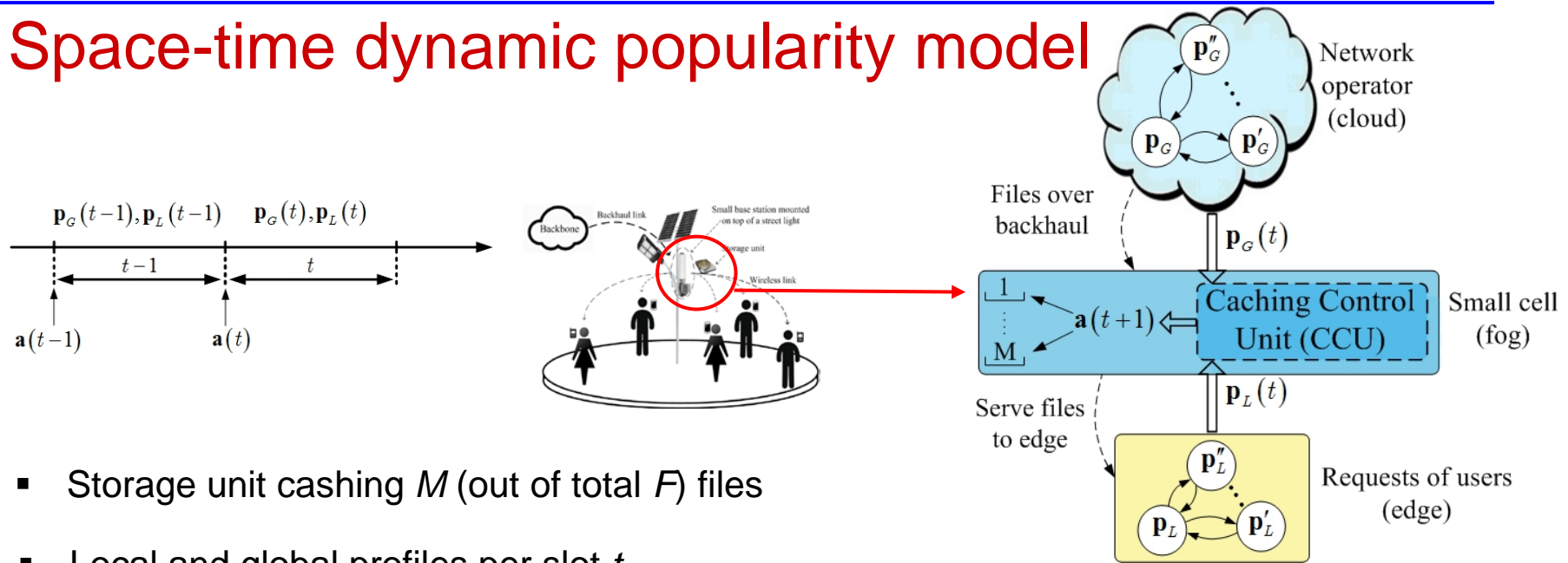
## ❑ Learn and track what, when, and where to cache

- Model and learn content popularities
  - ✓ vector of probabilities  $[p]_f = 1/(\alpha f^\beta)$
  - ✓ popularity matrix – both static models
  - ✓ learn via multi-arm bandit [Belasco et al'14]
- Account for space-time dynamic changes?

## ❑ Leverage inter-dependent social networks?



# Space-time dynamic popularity model



- Storage unit caching  $M$  (out of total  $F$ ) files
- Local and global profiles per slot  $t$

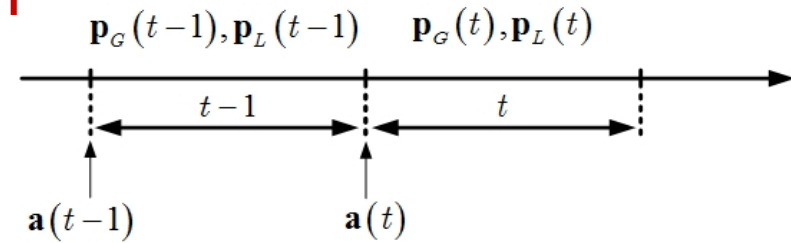
$$[\mathbf{p}_L(t)]_f = \frac{\text{local requests for } f}{\text{all local requests}} \quad [\mathbf{p}_G(t)]_f = \frac{\text{global requests for } f}{\text{all global requests}}$$

- Action vector  $F \times 1$ :  $[\mathbf{a}(t)]_f = 1$ , if file  $f$  is cached; 0 otherwise
- State vector  $3F \times 1$ :  $\mathbf{s}^\top(t) := [\mathbf{p}_L(t), \mathbf{p}_G(t), \mathbf{a}(t)]$
- Policy  $\pi(\cdot)$ :  $\mathbf{a}(t+1) = \pi(\mathbf{s}(t))$

**Goal:** Given  $\{\mathbf{s}(\tau)\}_{\tau=0}^t$  and observed costs, optimize policy interactively



# Reinforcement learning approach



□ Cost is a weighted combination of three factors

- Cost of extra files to cache at slot  $t$

$$c_1(\mathbf{a}(t), \mathbf{a}(t-1)) := \lambda_1 \mathbf{a}^\top(t) (\mathbf{1} - \mathbf{a}(t-1))$$

- Cost of locally requested non-cached files

$$c_2(\mathbf{s}(t)) := \lambda_2 (\mathbf{1} - \mathbf{a}(t))^\top \mathbf{p}_L(t)$$

- Cost of globally popular non-cached files

$$c_3(\mathbf{s}(t)) := \lambda_3 (\mathbf{1} - \mathbf{a}(t))^\top \mathbf{p}_G(t)$$

$$C(\mathbf{s}(t-1), \mathbf{a}(t) | \mathbf{p}_G(t), \mathbf{p}_L(t)) := c_1(\mathbf{a}(t), \mathbf{a}(t-1)) + c_2(\mathbf{s}(t)) + c_3(\mathbf{s}(t))$$

□ Expected cost (discounted by  $0 < \gamma < 1$ ) value function

$$V^\pi(\mathbf{s}(t_0)) := \lim_{T \rightarrow \infty} \mathbb{E} \left[ \sum_{t=t_0+1}^T \gamma^{t-t_0-1} C(\mathbf{s}(t-1), \pi(\mathbf{s}(t-1)) | \mathbf{p}_G(t), \mathbf{p}_L(t)) \right]$$

$$\pi^*(\mathbf{s}_0) = \arg \min_{\pi \in \Pi} V^\pi(\mathbf{s}_0), \quad \forall \mathbf{s}_0$$

□ Possible solvers

✓ Adaptive dynamic programming

✓ SARSA

✓ Q-learning

# Q-learning

- Markov decision process model  $\mathbf{s}^\top(t) := [\mathbf{p}_L(t), \mathbf{p}_G(t), \mathbf{a}(t)]$ 
  - ✓ Transition per action  $[P^a]_{ss'} = \Pr(\mathbf{S}(t+1) = s' | \mathbf{S}(t) = s, \mathbf{A}(t) = \mathbf{a})$
  - ✓ (state, action) value function  $Q^\pi(s, \mathbf{a}) = \mathbb{E}[C(s, \mathbf{a} | \mathbf{p}_L, \mathbf{p}_G)] + \gamma \sum_{s'} [P^a]_{ss'} V^\pi(s')$
  - Initialize  $s(0), \hat{Q}(s, \mathbf{a}) = 0$

## S1. Action (**exploration** or **exploitation**)

$$\mathbf{a}(t) = \begin{cases} \arg \min_{\mathbf{a}} \hat{Q}(s(t-1), \mathbf{a}) & \text{w.p. } 1 - \epsilon_t \\ \mathbf{a} \in \mathcal{A} & \text{w.p. } \epsilon_t \end{cases}$$

## S2. Update $\mathbf{p}_L(t), \mathbf{p}_G(t)$ based on user requests

## S3. Cost $C(s(t-1), \mathbf{a}(t) | \mathbf{p}_G(t), \mathbf{p}_L(t))$

## S4. Q-table update

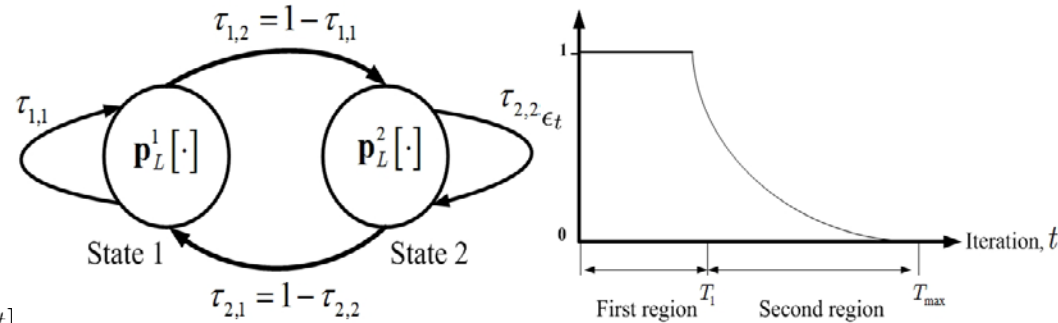
$$\begin{aligned} \hat{Q}_t(s(t-1), \mathbf{a}(t)) &= (1 - \beta_t) \hat{Q}_{t-1}(s(t-1), \mathbf{a}(t)) + \beta_t \\ &\times \left[ C(s(t-1), \mathbf{a}(t) | \mathbf{p}_G(t), \mathbf{p}_L(t)) + \gamma \min_{\mathbf{a}} \hat{Q}_{t-1}(s(t), \mathbf{a}) \right] \end{aligned}$$

- Prohibitive complexity motivates Q-function approximation alternatives

**Theorem.** For any  $\epsilon_t > 0$ , if  $\sum_{t=1}^{\infty} \beta_t = \infty$  and  $\sum_{t=1}^{\infty} \beta_t^2 < \infty$ , then  $\pi \rightarrow \pi^*$  w.p.1

# Preliminary tests

- $F=10$  files and  $M=2$  storage units
- Two-state Markov chain for modeling  $\mathbf{p}_L[t]$



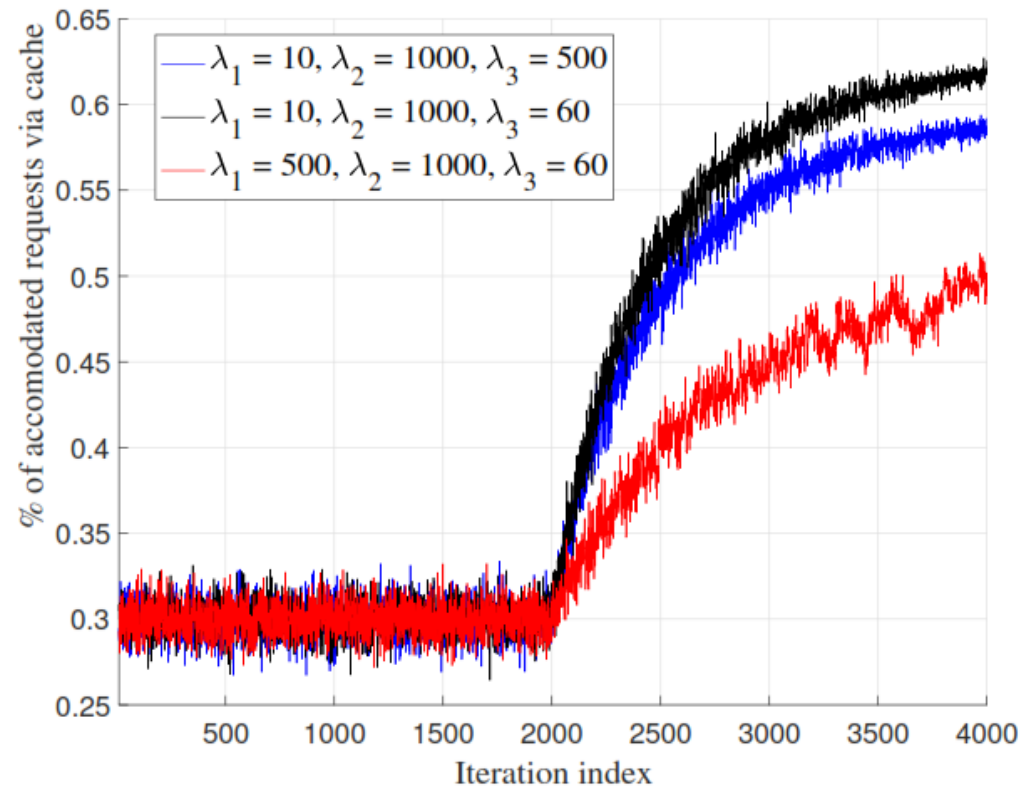
- State transition probabilities

$$\tau := \begin{bmatrix} 0.35 & 0.65 \\ 0.75 & 0.25 \end{bmatrix}$$

- Similarly for  $\mathbf{p}_G[t]$

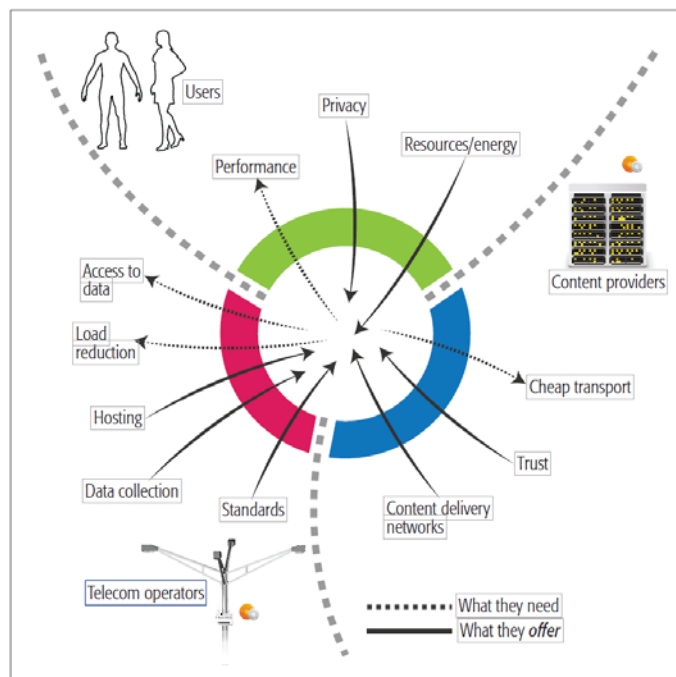
$$\tau' := \begin{bmatrix} 0.6 & 0.4 \\ 0.45 & 0.55 \end{bmatrix}$$

- A two-step structure for  $\epsilon_t$
- $\beta_t = 0.1$  and  $\gamma = 0.6$



# Future research and stakeholder analysis

- ❑ Low-complexity tracking of dynamic content popularities
- ❑ Cooperative caching across neighboring small cells
- ❑ Cross-layer design of coded caching
- ❑ Privacy-preserving, secure, space-time variable caching

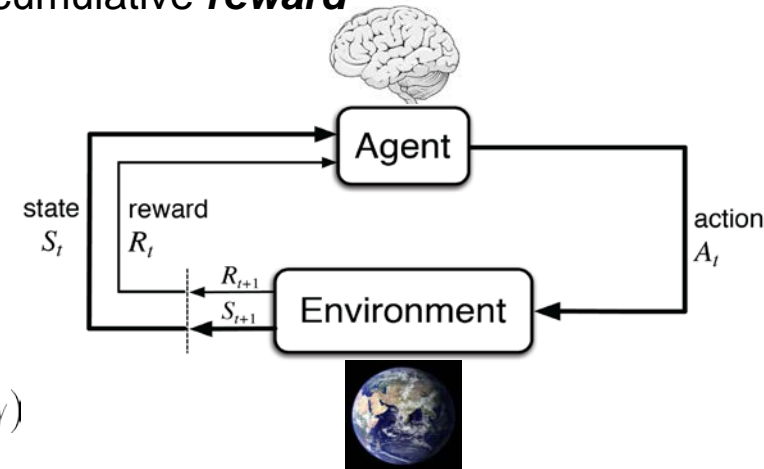


*Thank you!*

# Reinforcement learning

- ❑ Agent learns how to optimize objective by interacting with an unknown environment
- ❑ **Objective:** Find optimal policy maximizing expected cumulative **reward**

- ❑ Agent-environment interactions entail
  - States (**S**); actions (**A**); and rewards (**R**)



- ❑ **Model:** Markov decision process (MDP)  $(S, A, R, P, \gamma)$

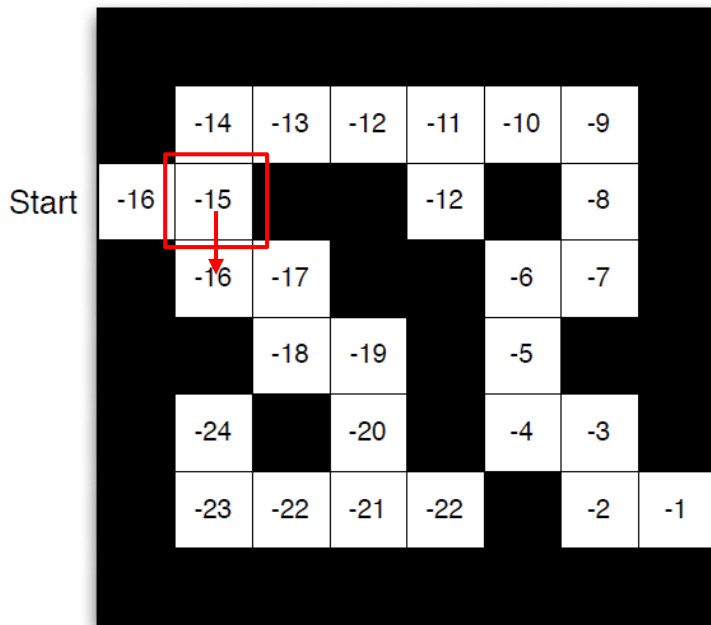
- Transition matrix per action  $a$ :  $[P^a]_{ss'} = \Pr(S_{t+1} = s' | S_t = s, A_t = a)$

- ❑ MDP value functions for policy  $\pi(\cdot)$ , which maps state to action  $a[t+1] = \pi(s[t])$

- (State) value function 
$$V^\pi(s) = \mathbb{E}\left[\sum_{\tau=0}^{\infty} \gamma^\tau R_{t+\tau+1}^\pi | S_t = s\right] \quad \gamma \in [0, 1]$$

- (State,action) value function 
$$Q^\pi(s, a) = \mathbb{E}\left[R_{t+1}^a + \sum_{\tau=1}^{\infty} \gamma^\tau R_{t+\tau+1}^\pi | S_t = s, A_t = a\right]$$

# RL example: Maze runner robot



**Objective:** Exit the maze ASAP

**State:** agent's coordinates (square)

**Actions:** move N, E, S, W

**Reward:** -1 per step taken to exit

- Here  $s$ ,  $a$ , and  $R$  are deterministic

Goal of RL → Arrows: optimal policy,  $\pi^*(s)$ ,  $\forall s$

Goal → **Value function:**  $V^{\pi^*}(s) = -15$

→ **Q-function:**  $Q^{\pi^*}(s, a = S) = -17$

□ Policy  $\pi^*$  is optimal iff for  $\forall \pi$  :

$$V^{\pi^*}(s) \geq V^{\pi}(s); \quad \forall s \in \mathcal{S}$$

$$\pi^*(s) = \arg \max_{\mathbf{a}} Q^{\pi^*}(s, \mathbf{a})$$

$$V^{\pi^*}(s) = \max_{\mathbf{a}} Q^{\pi^*}(s, \mathbf{a})$$